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Two-Color Beam Generation via Wakefield Excitation

☐ Possible methods for two-color generation:

- Undulator K parameter tuning
- Laser twin pulses
- Fresh-slice
- Seeding based schemes: laser wavelength of the seeding laser, crystal orientation

☐ Wakefield based approach:

- Description of the method
- Possible wakefield source

☐ Tunability in time and energy separation among the two pulses

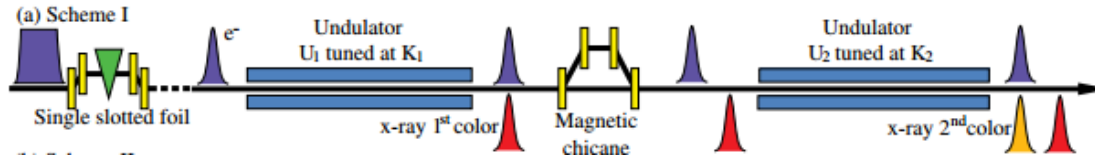
☐ Implementation at SwissFEL

☐ Future plans

☐ Conclusions

Possible methods for two color generation

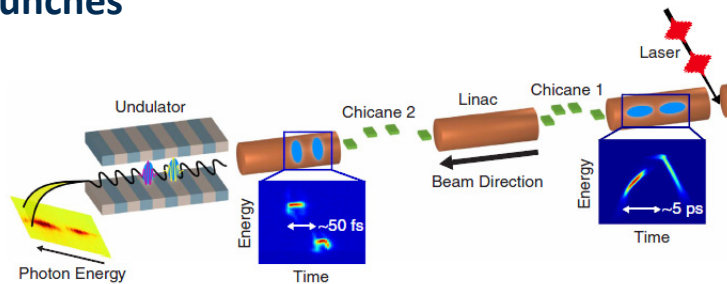
K parameter tuning method



- ☐ Some tunability
- ☐ Beam quality preservation
- ☐ Limited laser intensity

A. A. Lutman et al., *Experimental Demonstration of Femtosecond Two-Color X-Ray Free-Electron*, PRL **110**, 134801 (2013)

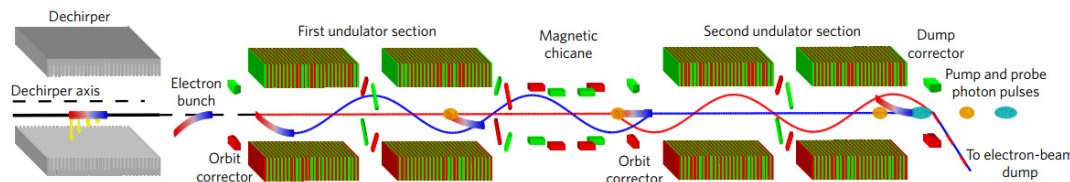
Laser twin bunches



- ☐ Some tunability
- ☐ Possible beam quality degradation
- ☐ Maximum laser intensity

A. Marinelli et al., *High-intensity double-pulse X-ray free-electron laser*, Nat. Comm. DOI: 10.1038/ncomms7369 (2013)

Fresh-slice scheme

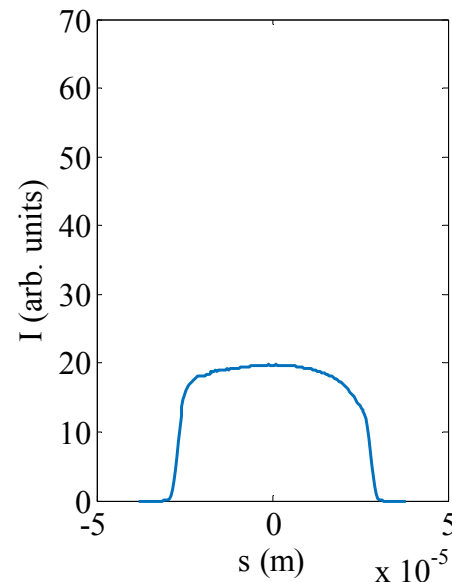
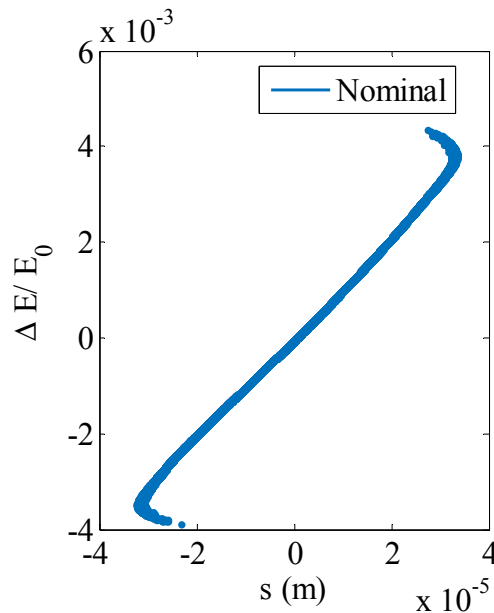
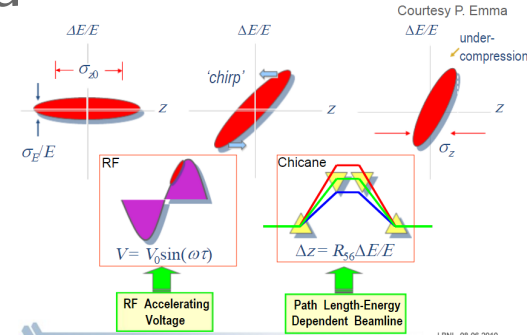


- ☐ Large tunability
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A. A. Lutman et al., *Fresh-slice multicolour X-ray free-electron lasers*, Nat. Phot. DOI: 10.1038/NPHOTON.2016.201 (2016)

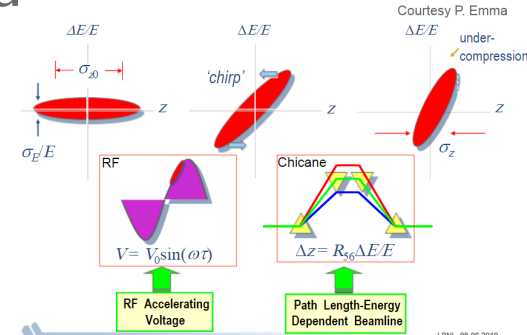
Our approach: wakefield method

A well known and used way to compress the beam is to impose a (time,energy) correlation and to use the energy dependence of the trajectory in a dispersive section (typically chicane, dogleg).



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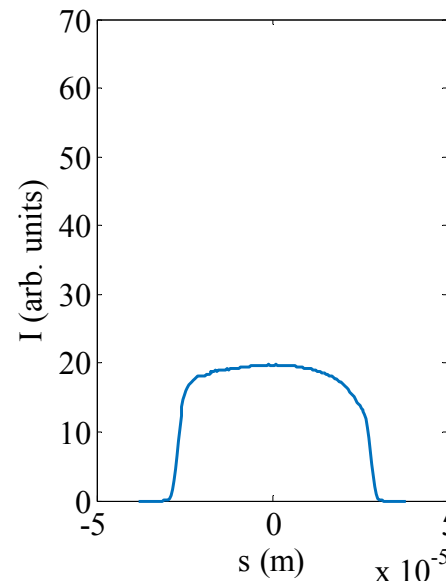
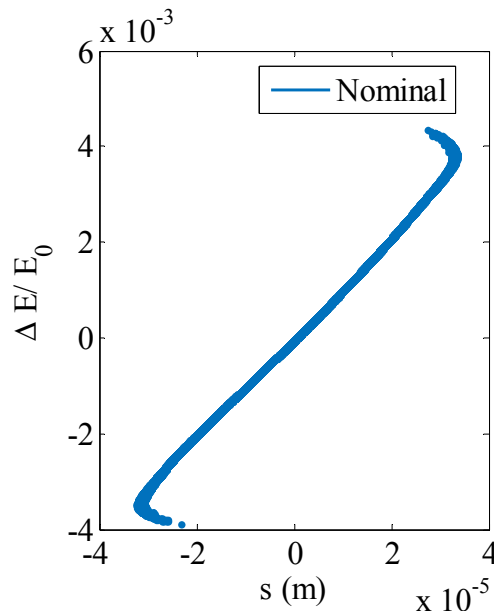
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- ❑ Superimpose a (time,energy) correlation at two locations along the beam longitudinal phase space on top of the nominal chirp using a longitudinal wakefield
- ❑ In case the bunch length L_z and the wavelength of the wakefield λ_w are linked by the relation:

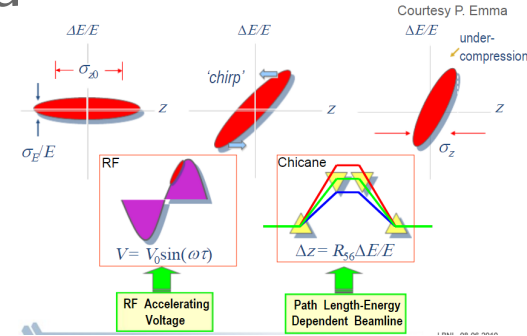
$$\lambda_w \approx L_z/2$$

- ❑ We obtain two sub-pulses compressing the beam in the downstream compression stages



Our approach: wakefield method

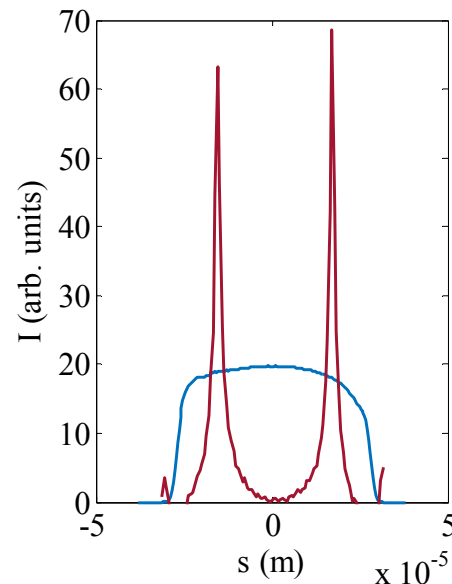
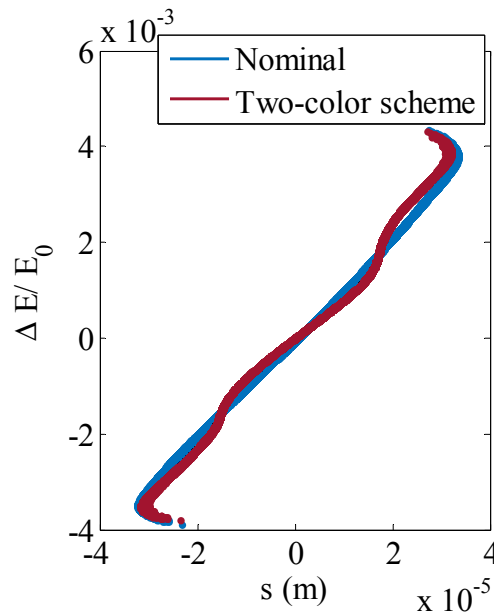
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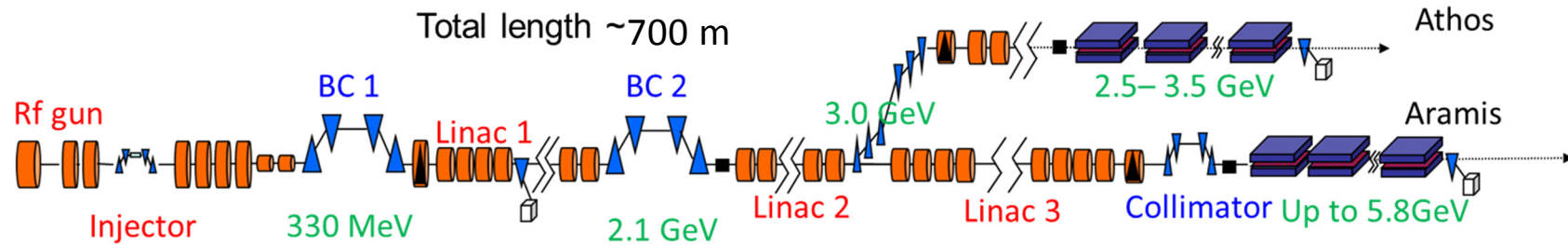


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Electron source

RF gun with CaF_2 laser driven with Cs_2Te photocathode

Undulator beamlines

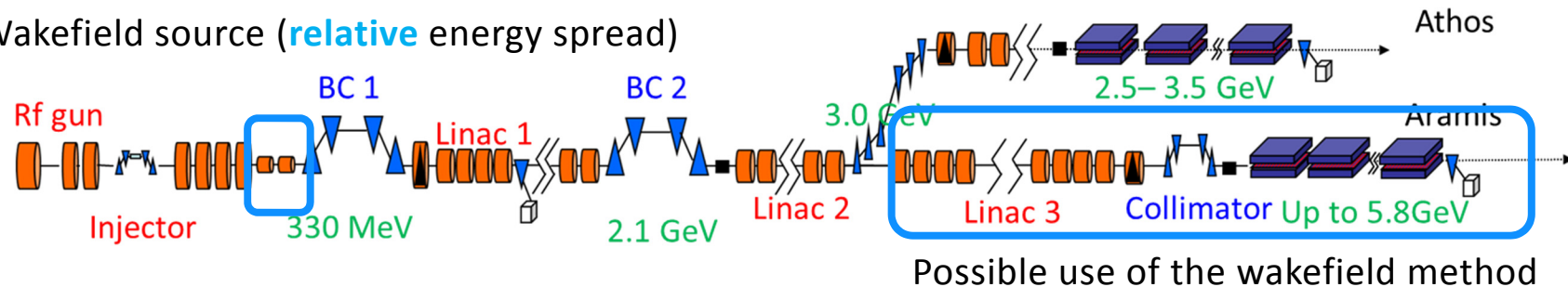
1. **Aramis:** hard X-ray FEL (1-7 Å). In-vacuum, planar undulators with variable gap, period = 15 mm
2. **Athos:** soft X-ray FEL (6.5-50 Å). Undulators with variable gap and full polarization control, period = 38 mm

Wavelength	1 - 50 Å
Pulse duration	3 – 20 fs
Maximum e- beam energy	5.8 GeV
e- beam charge	10 – 200 pC
Repetition rate	100 Hz
Slice emittance (for the calculations assumed x2)	40 nm (10 pC) 150 nm (200 pC)
Slice energy spread	250-350 keV
Saturation length	< 50 m



- ☐ Construction started in 2013
- ☐ Commissioning started in Jul 2016
- ☐ Aramis user operation planned in Spring 2018
- ☐ Athos user operation planned in 2021

Wakefield source (**relative** energy spread)



Electron source

RF gun with CaF_2 laser driven with Cs_2Te photocathode

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Suitable wakefield sources

Several sources can be considered. The requirements are:

- Wavelength of the wakefield smaller than the full bunch length
- Amplitude of the wakefield enough to limit the length of the device to a reasonable value (~few meters)

More typically
corrugated

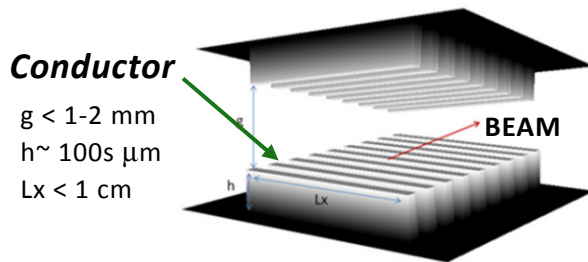


Flat	Round
Easily tunable	More difficult to tune
Reduced amplitude (by $\pi^2/16$)	Maximum amplitude
Quadrupole component	Symmetric



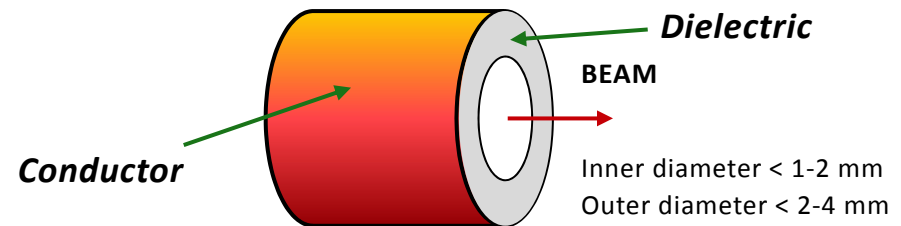
More typically
dielectric lined

CORRUGATED METALLIC



Typical wavelength $\sim \text{mm}$

DIELECTRIC LINED-WAVEGUIDE



Typical wavelength $\sim 100\text{s } \mu\text{m}$

Selected wakefield source

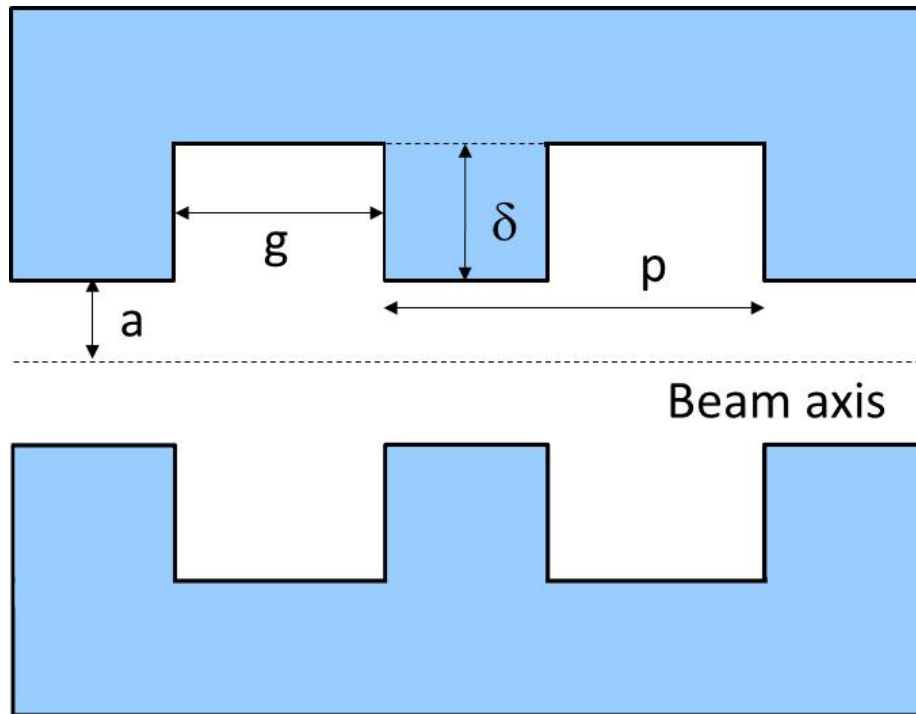
Typical full bunch length L_z upstream of the first compression stage of the order of few mm

Condition to have two sub-pulses:

$$\lambda_w \approx L_z/2$$

$$\lambda_w \approx \text{mm}$$

Corrugated metallic geometry selected, but equivalent with any other wakefield source respecting the condition on the left



The wakefield point charge is given by [1]:

$$w(s) \sim \frac{\pi}{16} \frac{Z_0 c}{\pi a^2} H(s) \cos\left(\frac{2\pi}{\lambda_w} s\right)$$

and the wavelength by:

$$\lambda_w = 2\pi \sqrt{\frac{a\delta g}{2p}}$$

Geometry optimization

$$w(s) \sim \frac{\pi}{16} \frac{Z_0 c}{\pi a^2} H(s) \cos\left(\frac{2\pi}{\lambda} s\right)$$

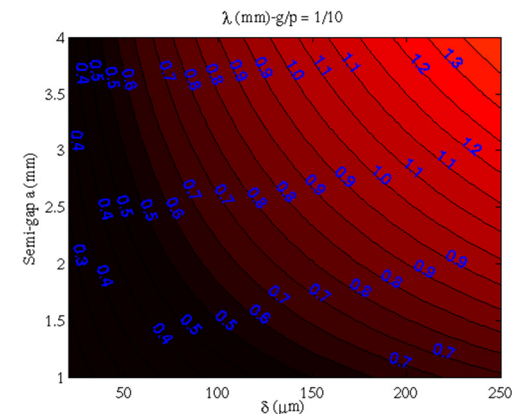
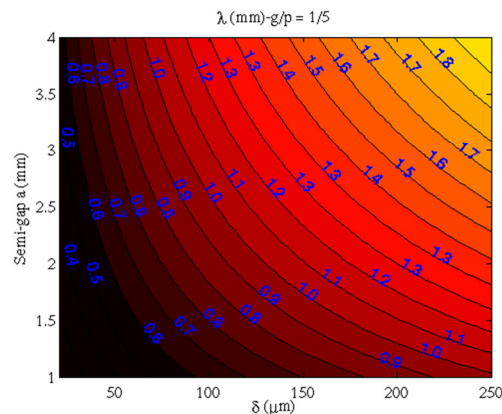
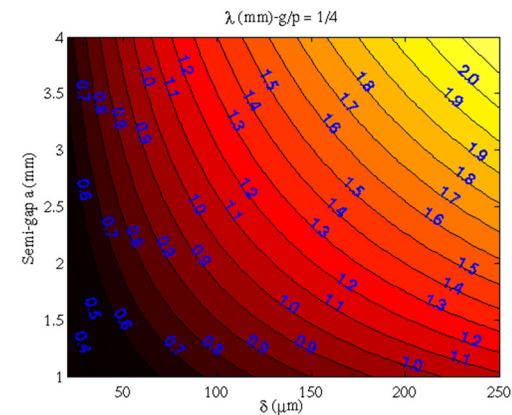
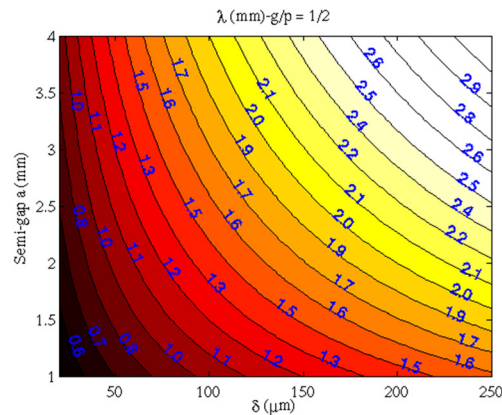
The amplitude depends only on a

$$\lambda_W = 2\pi \sqrt{\frac{a\delta g}{2p}}$$

The wavelength depends on a combination of a and other geometry-parameters



There are **infinite** geometries **equivalent** from the beam dynamics point of view, once the product of a and $\delta g/p$ is constant (constant a)



Geometry optimization

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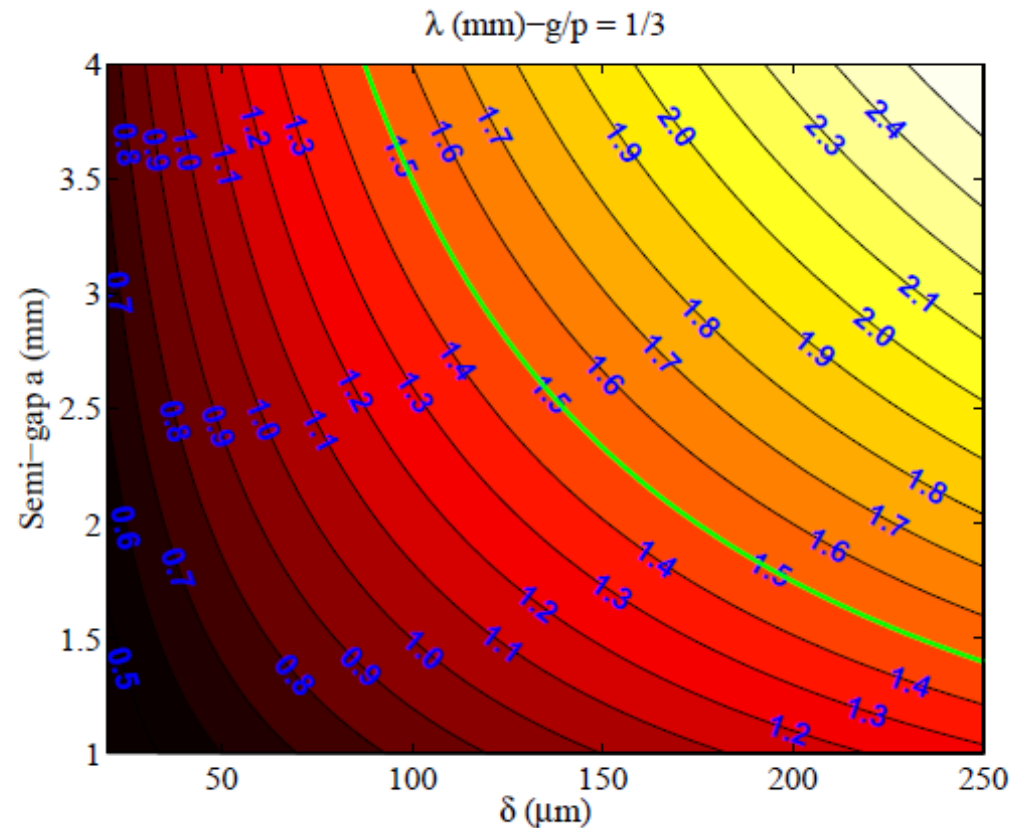
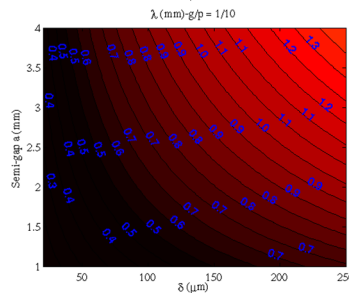
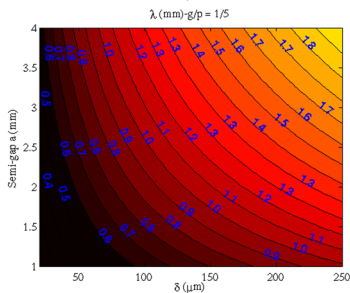
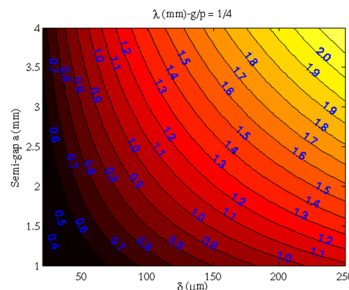
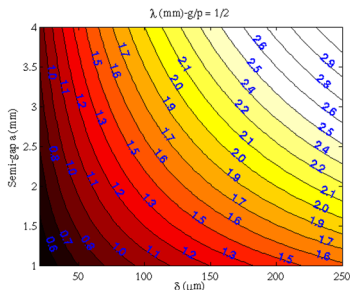
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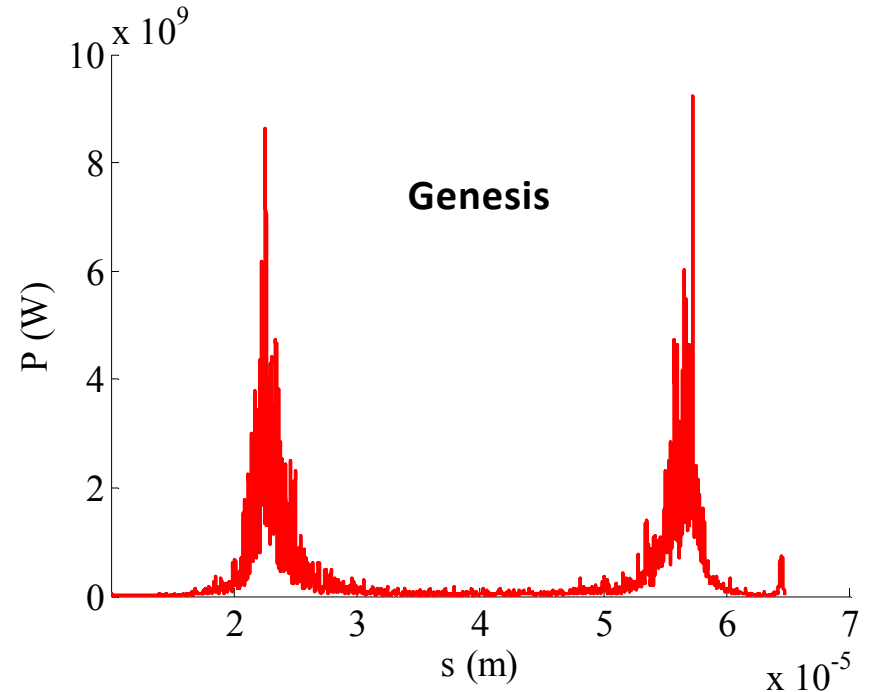
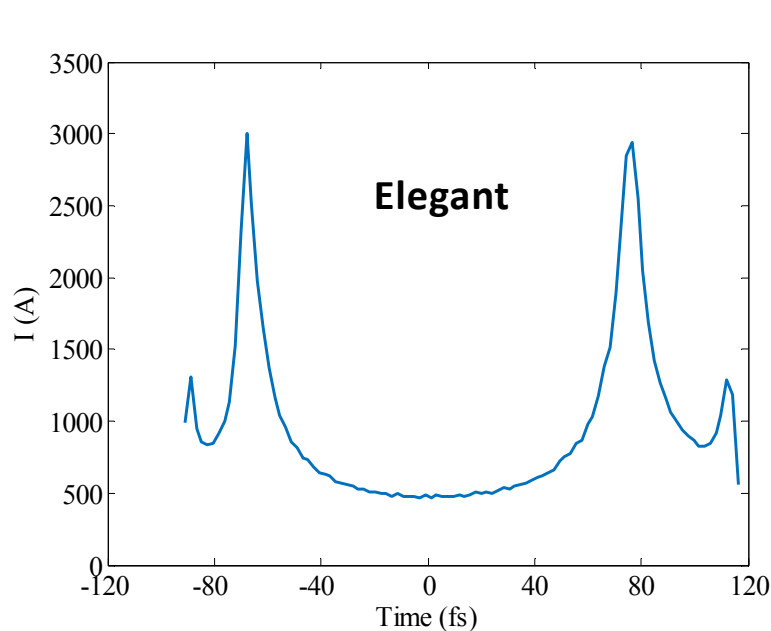
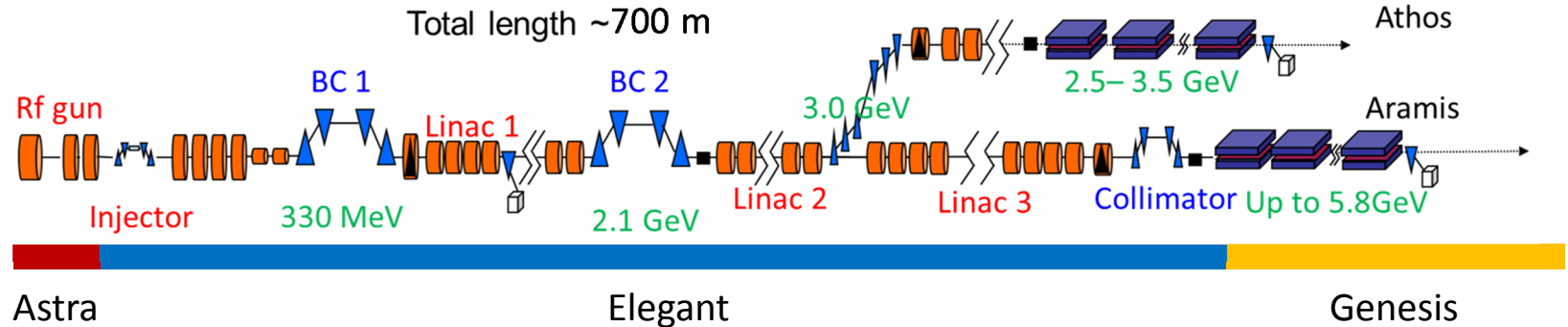
$$\lambda_W = 2\pi \sqrt{\frac{a\delta g}{2p}}$$

The wavelength depends on a combination of a and other geometry-parameters



Parameter	Value
g (μm)	25
p (μm)	75
δ (μm)	170
Minimum a (mm)	1
a corresponding to $\lambda_W = 1.5$ mm ($L_z/2$) (mm)	2
L_p (m)	1.5

Start-to-end simulations



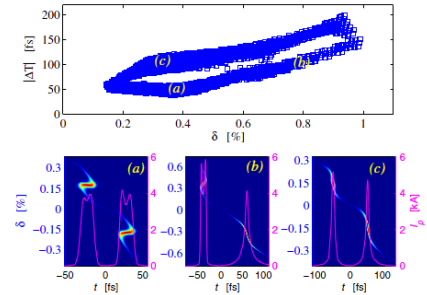
- ❑ Beam quality not modified → nominal SwissFEL laser power expected
- ❑ Relatively easy setup
- ❑ Intermediate difficult tuning

Time-energy tuning knobs: a la twin-bunch

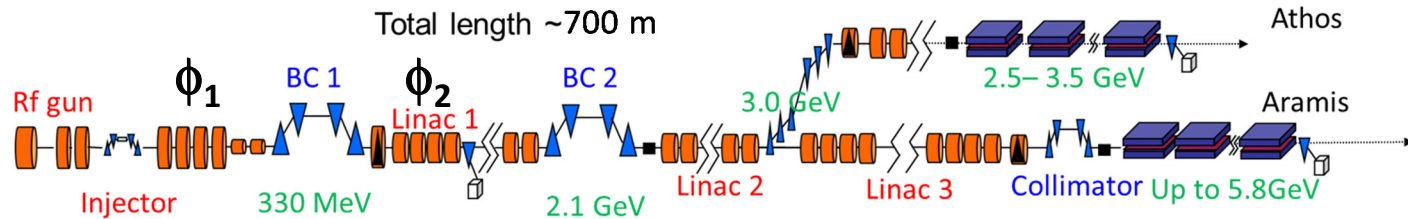
The bunch pattern in our case is similar to that of the twin-bunch scheme, therefore we may use in principle the same knobs

Twin-bunch scheme

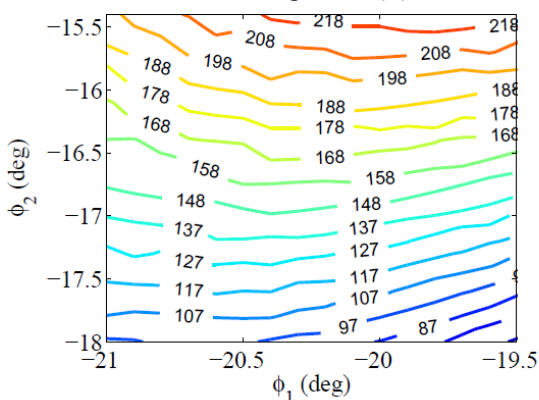
The time and energy separation among the two pulses is obtained changing the phases of the structures upstream and downstream the last bunch compressor [1]



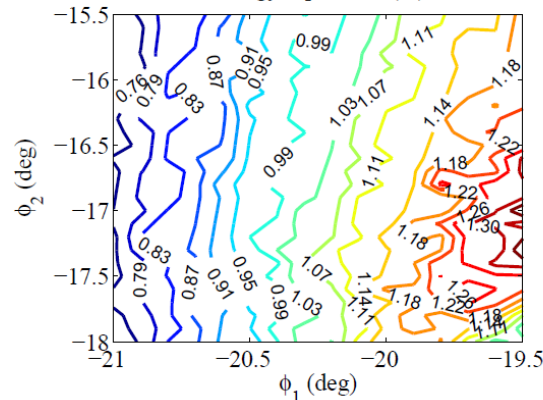
Wakefield scheme



Time separation (fs)



Energy separation (%)



Tuning range determined by:

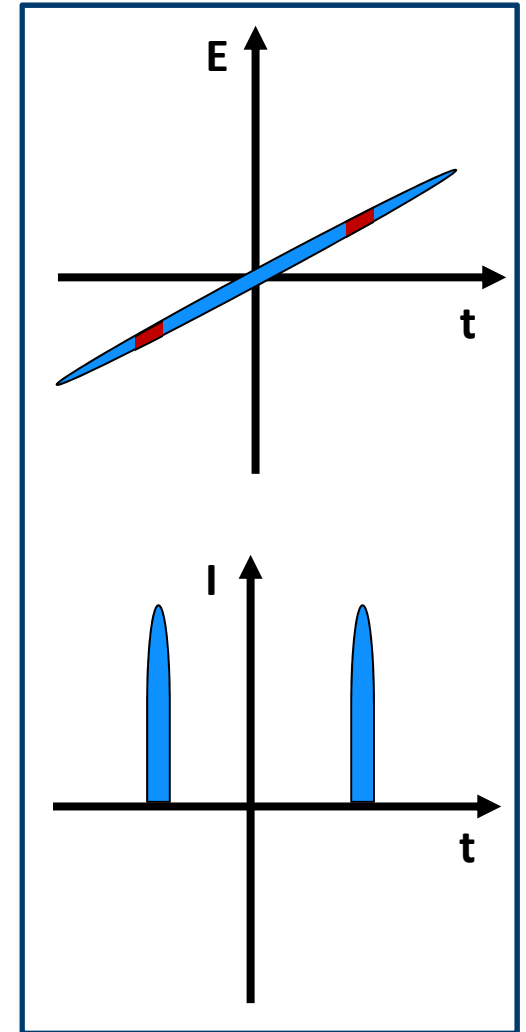
- ❑ Margin on the accelerating gradient in Linac 1 and Linac 2 (radiation wavelength)
- ❑ Tolerable peak current variation (radiation intensity)

Time-energy tuning knobs

Time separation



Energy separation

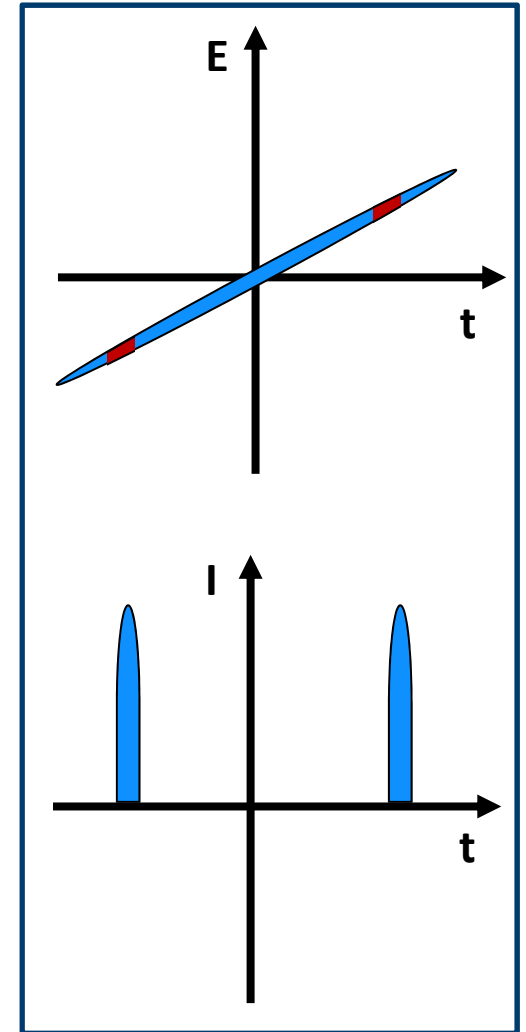


Time-energy tuning knobs

Time separation

Change λ_w of the corrugated plate

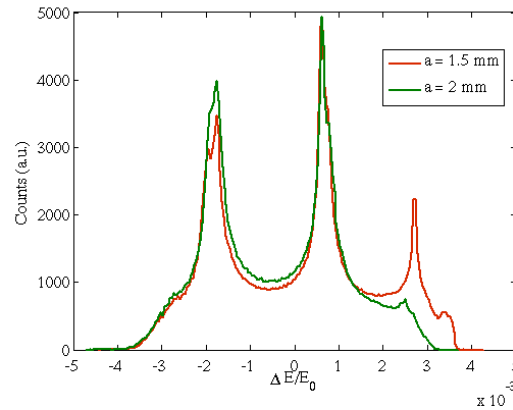
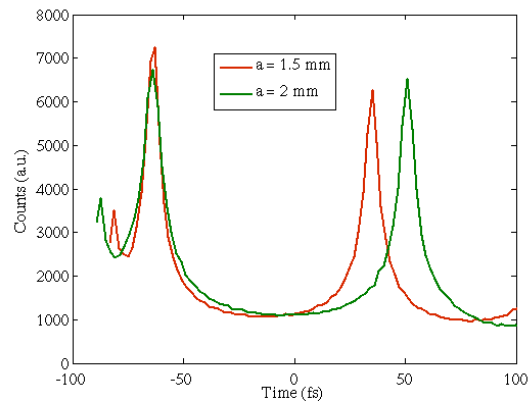
Energy separation



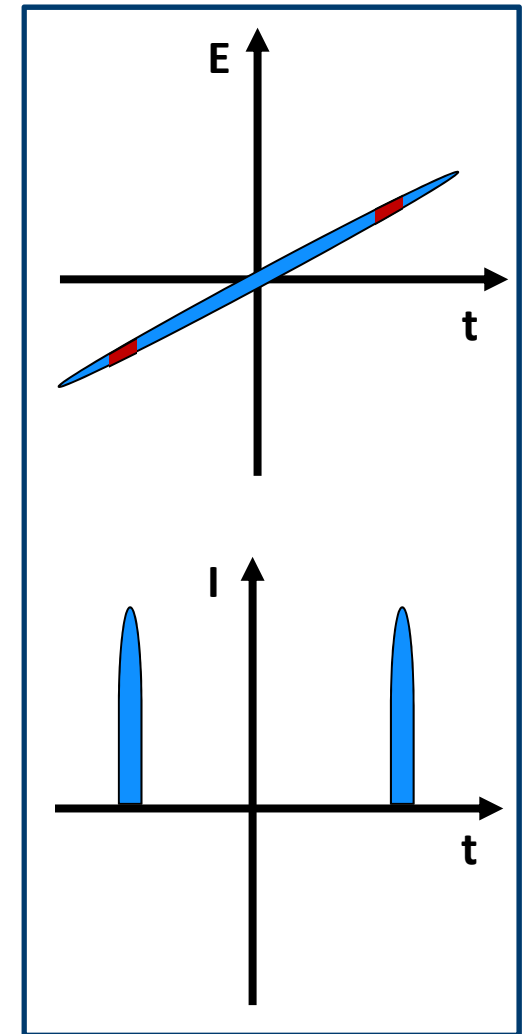
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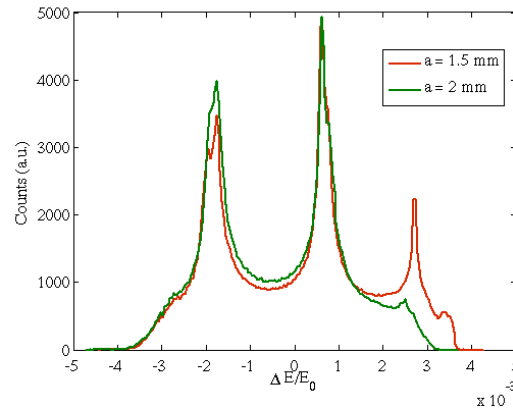
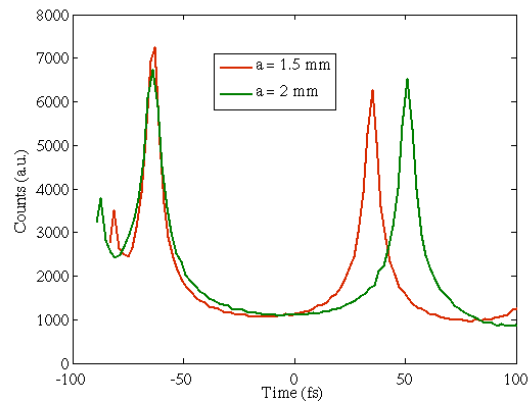
Energy separation



Time-energy tuning knobs

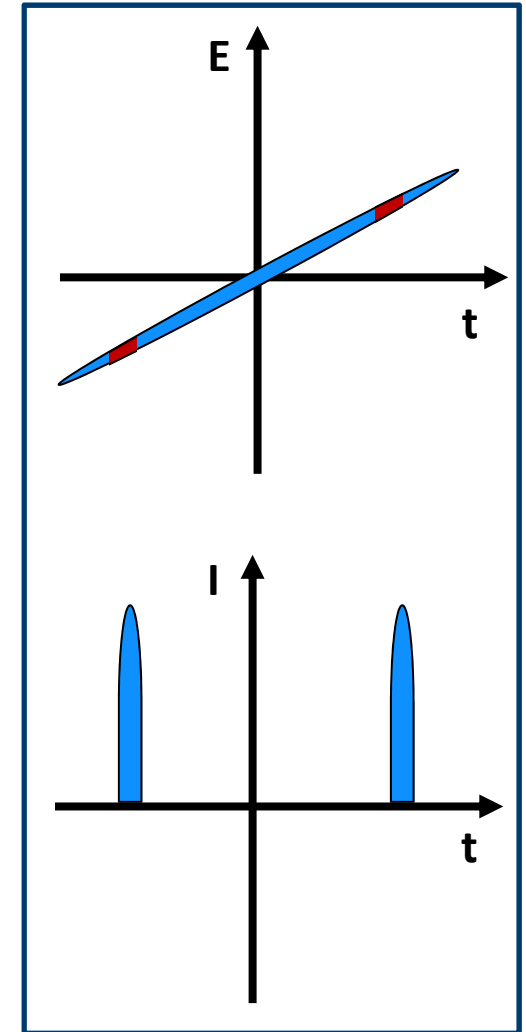
Time separation

Change λ_w of the corrugated plate



Energy separation

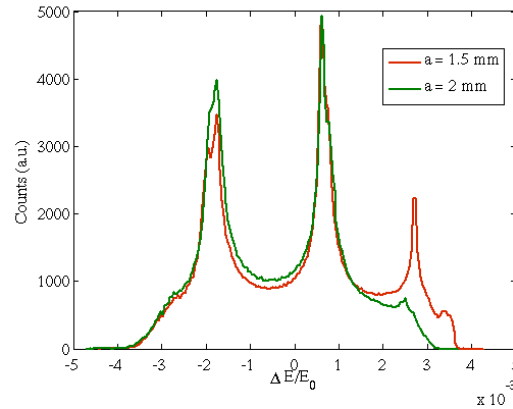
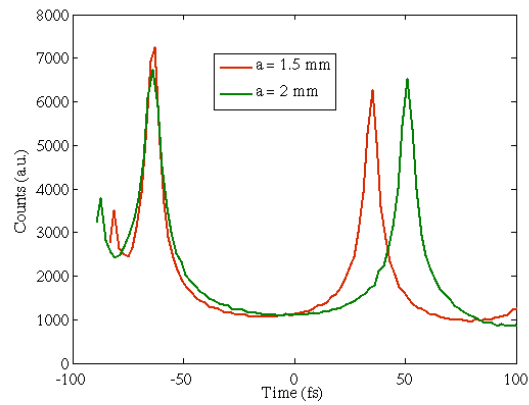
Vary the phase of the structures downstream of BC2



Time-energy tuning knobs

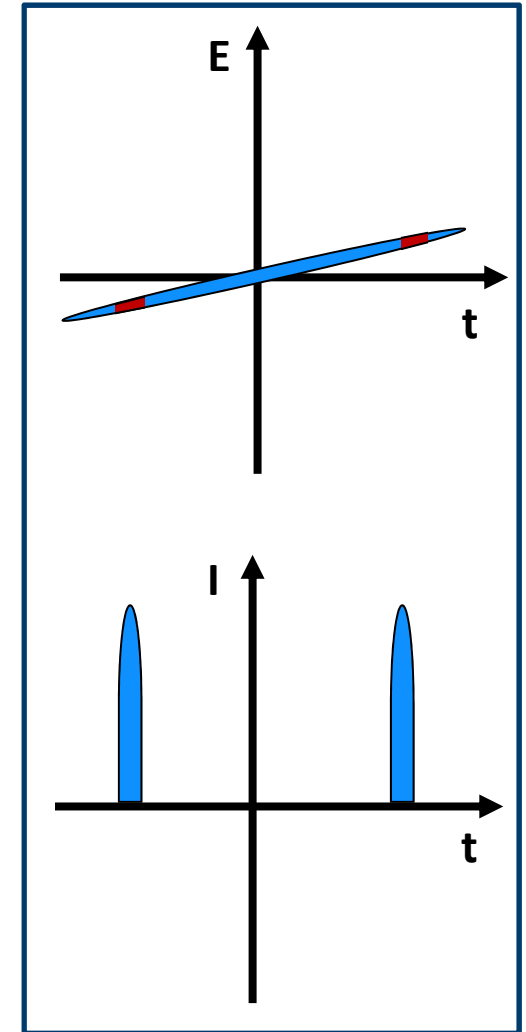
Time separation

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Energy separation

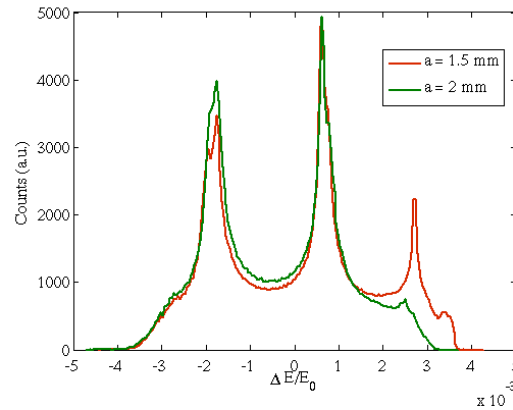
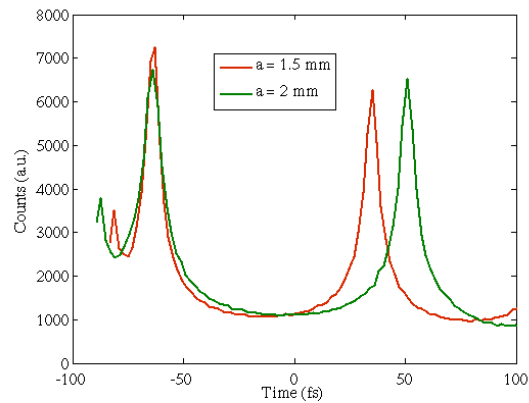
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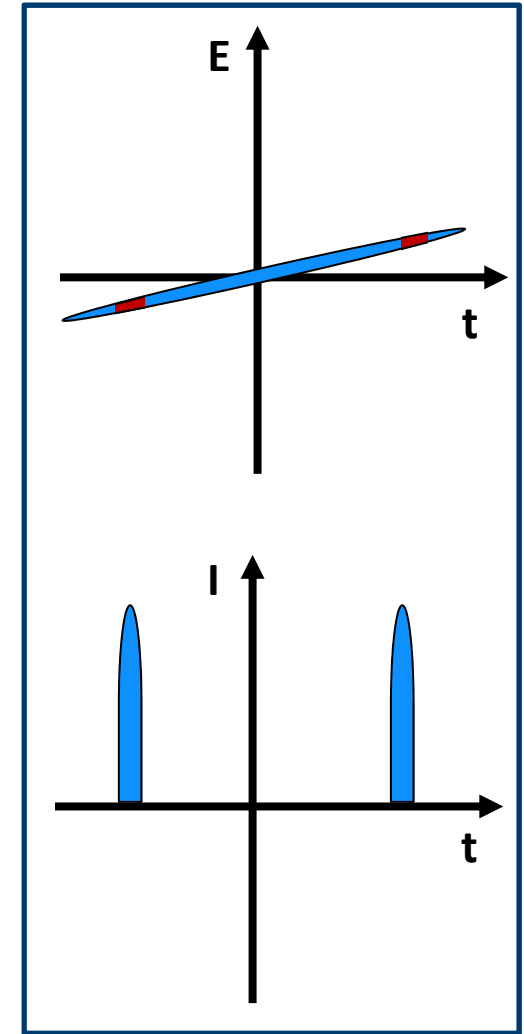
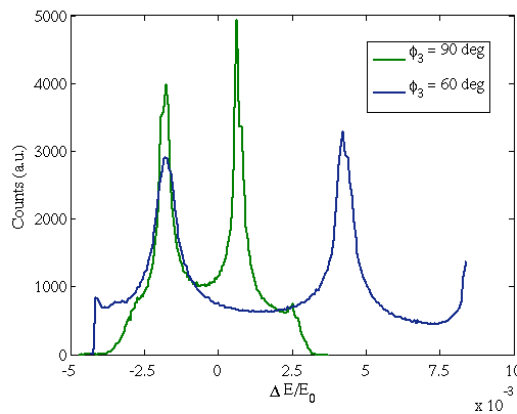
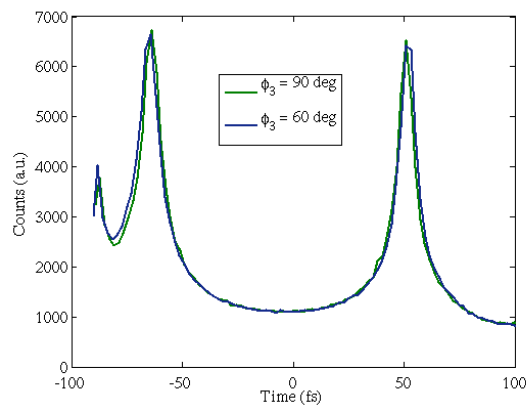
Time separation

Change λ_w of the corrugated plate

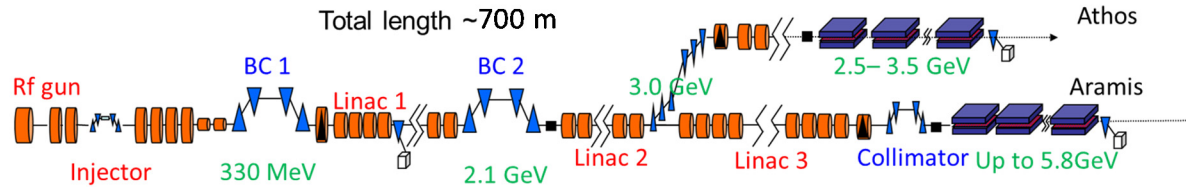


Energy separation

Vary the phase of the structures downstream of BC2



Expectation for SwissFEL



There are several constraints to be fulfilled during the tuning:

- ☐ Beam size at the corrugated structures
- ☐ Constant final electron bunch energy (limits of the cavity gradient)

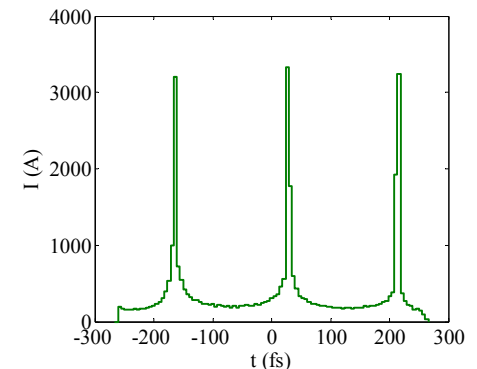
Maximum beam size (rms)	80 μm
Maximum $\Delta\phi$	58 degrees

	Δt (fs)	$\Delta E_{\min}$ (%)	$\Delta E_{\max}$ (%)
$a = 1 \text{ mm}, \Delta\phi_3 = \pm 60^\circ$	84	0.61	0.92
$a = 1 \text{ mm}, \Delta\phi_3 = \pm 90^\circ$	84	0.59	1.20
$a = 2 \text{ mm}, \Delta\phi_3 = \pm 60^\circ$	125	0.62	1.14
$a = 2 \text{ mm}, \Delta\phi_3 = \pm 90^\circ$	125	0.48	1.63
$a = 1 \text{ mm}, \Delta\phi_3 = \pm 60^\circ, L = 1 \text{ m}$	188	0.37	0.93
$a = 1 \text{ mm}, \Delta\phi_3 = \pm 90^\circ, L = 1 \text{ m}$	188	0.08	1.56
$a = 1 \text{ mm}, L = 1 \text{ m}, \text{first-third peaks}, \Delta\phi_3 = \pm 60^\circ$	375	0.37	0.89

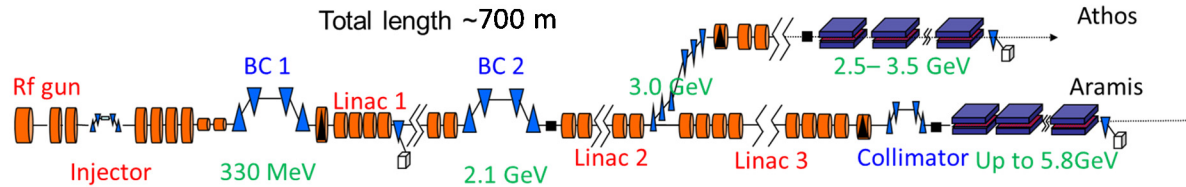
Furthermore...

A way to enhance and simplify the tunability:

- ☐ Generate multi-pulses



Expectation for SwissFEL



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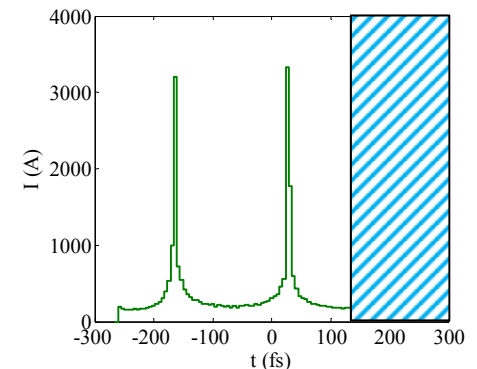
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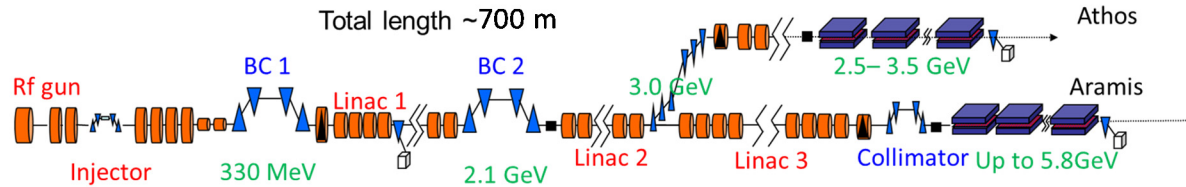
Furthermore...

A way to enhance and simplify the tunability:

- ☐ Generate multi-pulses
- ☐ Remove an external pulse (collimator)



Expectation for SwissFEL



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- ☐ Beam size at the corrugated structures
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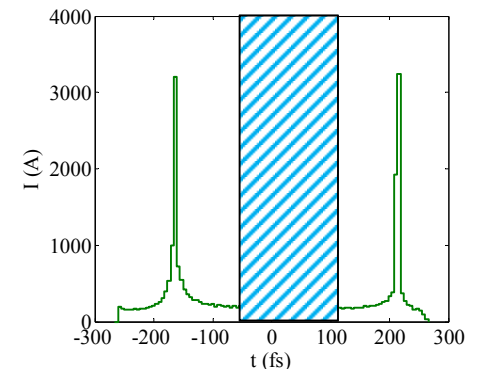
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$a = 1 \text{ mm}, \Delta\phi_3 = \pm 60^\circ, L = 1 \text{ m}$	188	0.37	0.93
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$a = 1 \text{ mm}, L = 1 \text{ m}, \text{first-third peaks}, \Delta\phi_3 = \pm 60^\circ$	375	0.37	0.89

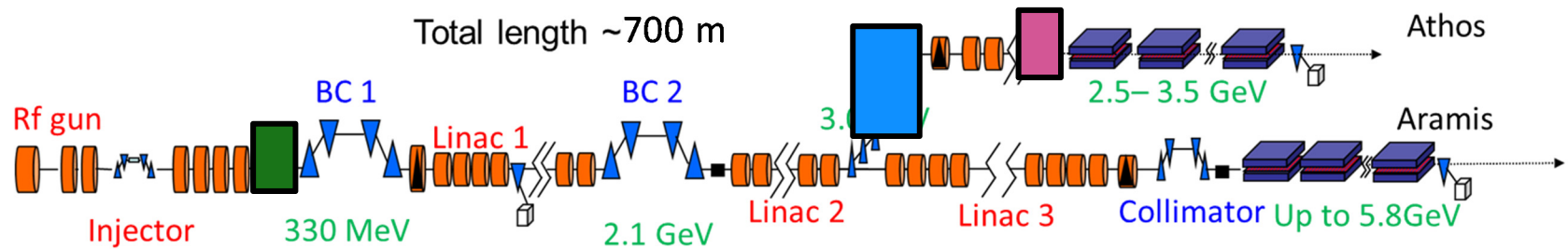
Furthermore...

A way to enhance and simplify the tunability:

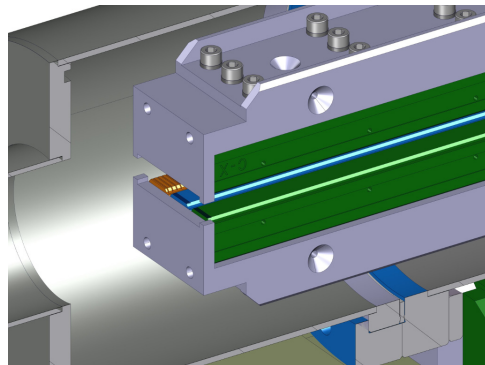
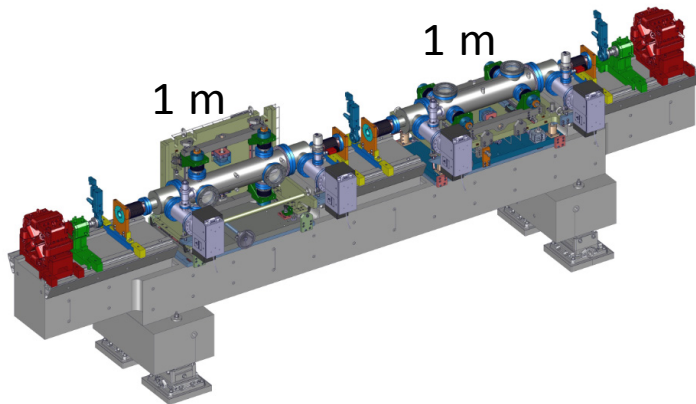
- ☐ Generate multi-pulses
- ☐ Remove an external pulse (collimator)
- ☐ Spoil the emittance of the central pulse (slotted foil or laser of the laser heater)



Next steps at SwissFEL: beam manipulation



- ❑ Passively streak the beam (1-10 ps bunch length) [1]: $1 \text{ mm} \leq \lambda_w \leq 6 \text{ mm}$
- ❑ Test the two-color generation via wakefield excitation: $\lambda_w = 1 \text{ mm}$
- ❑ Alternatively linearize (following idea in [2]): $\lambda_w = 6 \text{ mm}$
- ❑ Remove the chirp residual from the compression [3], [4]: $\lambda_w = 2 \text{ mm}$
- ❑ High intensity (hundreds of μJ) high frequency (up to 20 THz) THz source
- ❑ Passively streak the beam ($\sim 10\text{-}500 \text{ fs}$ bunch length)



Assembly	Nov 2017
Delivery	Jan 2018
Operational	Jul 2018

[1] S. Bettoni, P. Craievich, A. A. Lutmann, M. Pedrozzi, PR-AB 19, 021304 (2016).

[2] P. Craievich, PRST-AB 13, 034401 (2010).

[3] P. Emma et al., PRL 112, 034801 (2014).

[4] S. Antipov, et al., PRL 112, 114801 (2014).

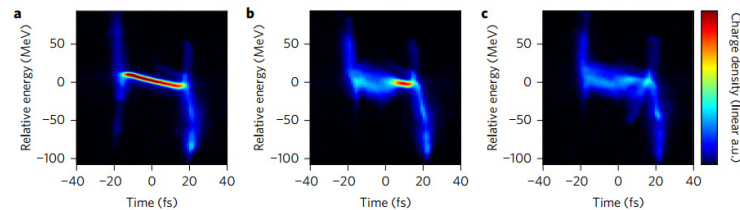
Future plans and possible synergies

Short bunches generation

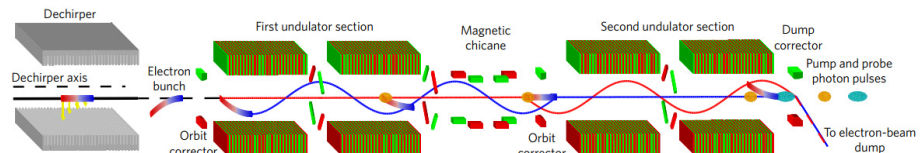
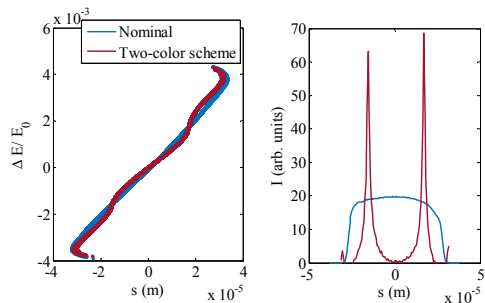
- ❑ 6 R 56 (CSR)
- ❑ Efficient way to generate **short electron bunches** without increasing energy chirp (RF jitter) or R 5 56 56 (CSR)

Synergy with the fresh slice scheme [1]

- ❑ In the fresh slice scheme the particles along the bunch get kicked with an angle **continuously** changing along the pulse
- ❑ The orbit is optimized to make the head or the tail lasing along different undulator sections



- ❑ We may use the two-color pulses generated with the wakefield to lase with the fresh slice scheme



- ❑ This would be an efficient way to control the **FEL pulse length**

Conclusions

❑ Possible to use a wakefield source to generate two sub-pulses

❑ This method compared to others:

Pros:

- Gives full laser **intensity** with the given length of the undulator line
- Gives a **synchronization** among the two sub-pulses
- Is relatively easy to be implemented in the machine
- Allows a certain **tunability** of the sub-pulses in time and energy
- Possible **synergy** with another scheme to improve the FEL pulse length control

Cons:

- Additional **hardware** has to be installed compared to that of the standard FEL facility
- Intermediate range of **tunability** compared to other methods

❑ Performances for the SwissFEL case discussed

❑ More or less future activities based on passive devices at SwissFEL also sketched

More details in PR AB 19, 50702 (2016)

Many thanks to...

Romain Ganter

Zandonella Callegher Adriano Bruno

Schneider Marco

Jöhri Haimo

Pfister Walter

Celcer Tine

Zehnder Dominik

Alarcon Arturo Daniel

Nicolini Rico

Florian Loehl

Paolo Craievich

Marco Pedrozzi

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