

OPAL a versatile Parallel Tool for Precise 3D Beam Dynamics Studies including Collective Effects

A. Adelmann (PSI-AMAS)

Acknowledgments: A. Gsell, Y. Ineichen Ch. Kraus (PSI)

Y. Bi, J. Yang, Ch. Wang (CIAE)

Hao Zha (Tsinghua Univ. Beijing) & S. Russel (LANL)

ERL-2011 - October 20. 2011

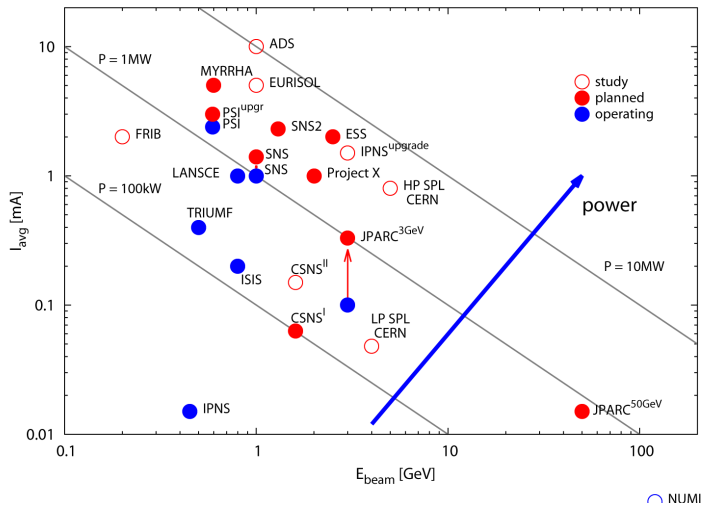


Outline

- ① Motivation for OPAL & Problem Setup
- ② OPAL in a Nutshell
 - Space Charge
 - Particle Matter Interaction & Multipacting
 - 3D Geometry Handling Capability of OPAL
- ③ Examples of OPAL Simulations
 - Precise Simulations of the PSI Ring Cyclotron
 - CTF3 gun, with thermal emittance
 - Dark Current Simulations of the CTF3 RF-Photo Gun
- ④ Conclusion and Outlook

Outline

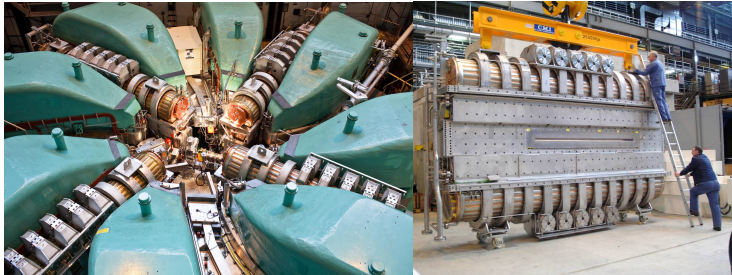
- 1 Motivation for OPAL & Problem Setup
- 2 OPAL in a Nutshell
- 3 Examples of OPAL Simulations
- 4 Conclusion and Outlook



The High Intensity Challenge

Consider the PSI 0.59 GeV, 2.4 mA (CW) Proton Cyclotron facility.

- uncontrolled & controlled beam loss $\mathcal{O}(2\mu A = \text{const})$ in large and complex structures
- PSI Ring: 99.98% transmission $\rightarrow \mathcal{O}(10^{-4}) \rightarrow 4\sigma$
- small changes at injection affects extraction



Consequences for a Beam Dynamics Model

- Multiscale / Multiresolution
 - Maxwell's equations or **reduced set** combined with particles
 - N-body problem $n \sim 10^9$ per bunch in case of PSI
 - Spatial scales: $10^{-4} \dots 10^4$ (m) $\rightarrow \mathcal{O}(1e5)$ integration steps
 - $v \ll c \dots v \sim c$
 - Large (complicated structures)
 - Neighboring bunches (Cyclotrons & FFAG)
- Multiphysics
 - Particle matter interaction: monte carlo
 - Field Emission
 - Secondary particles i.e. multi specis

Given an appropriate **physics model** it is necessary to combining state of the art **numerical methods** together with a **massively parallel implementation**.

Outline

- ① Motivation for OPAL & Problem Setup
- ② OPAL in a Nutshell
 - Space Charge
 - Particle Matter Interaction & Multipacting
 - 3D Geometry Handling Capability of OPAL
- ③ Examples of OPAL Simulations
- ④ Conclusion and Outlook

OPAL in a Nutshell (amas.web.psi.ch)

OPAL is a tool for charged-particle optics in large accelerator structures and beam lines including 3D space charge and particle matter interaction

- OPAL is built from the ground up as a parallel application exemplifying the fact that HPC (High Performance Computing) is the third leg of science, complementing theory and the experiment
- OPAL runs on your laptop as well as on the largest HPC clusters
- OPAL uses the MAD language with extensions
- OPAL (and all other used frameworks) are written in C++ using OO-techniques, hence OPAL is very easy to extend.
- Documentation is taken very seriously at both levels: source code and user manual (<http://amas.web.psi.ch/docs/index.html>)
- Regression tests running every day on the head of the repository
- Towards an international/community code
- Mailing List lists.web.psi.ch/mailman/listinfo/opal

OPAL and its Flavours

3 OPAL flavors are released:

- OPAL-T

- OPAL-T tracks particles which 3D space charge uses time as the independent variable, and can be used to model beamlines, guns, linac's (SW,TW), hence complete FEL's but without the undulator.
- 1D CSR (soon 2&3D)
- short range wakefields (\perp , \parallel)
- autophasing
- field emission (dark current studies) & particle matter interaction
- arbitrary overlapping fields
- code comparison: IMPACT-T, Astra & GPT

- OPAL-ENVELOPE

- OPAL-ENVELOPE is based on the 3D-envelope equation (à la HOMDYN) and can be used to design FEL's.
- is the forward solver for an ongoing Ph.D project on Multi-objective Optimization

OPAL and its Flavours cont.

- OPAL-CYCL 3D space charge & neighboring turns
 - time is the independent variable.
 - from p to Uranium (q/m is a parameter)
 - striper foil
 - single particle tracking mode & tune calculation
 - particle matter interaction
 - multipacting capabilities
- OPAL-MAP (not yet released)
 - OPAL-MAP tracks particles with 3D space charge using split operator techniques.
 - $\mathcal{M}(s) = \mathcal{M}_{\text{ext}}(s/2) \otimes \mathcal{M}_{\text{sc}}(s) \otimes \mathcal{M}_{\text{ext}}(s/2) + \mathcal{O}(s^3)$

Maxwell's Equation in the Electrostatic approximation

1,2 or 3D Field Maps &
Analytic Models $(E, B)_{ext}$

Electro
Magneto
Optics

$$\mathbf{H} = \mathbf{H}_{ext} + \mathbf{H}_{sc}$$

$$\begin{aligned} \operatorname{div} \mathbf{E}'_{sc} &= \rho' / \varepsilon_0 = \operatorname{div} \nabla \phi'_{sc} \\ \Delta \phi'_{sc} &= -\frac{\rho'}{\varepsilon_0} \\ &\text{\& BC's} \\ \mathcal{L}^b(E') &\rightarrow (E, B)_{sc} \end{aligned}$$

N-Body
Dynamics

If $\mathbf{E}(\mathbf{x}, t)$ and $\mathbf{B}(\mathbf{x})$ are known:

$$\frac{d\mathbf{x}(t)}{dt} = \mathbf{v}, \quad \frac{d\mathbf{v}(t)}{dt} = k_s [\mathbf{E}(\mathbf{v}, t) + \mathbf{v} \times \mathbf{B}(\mathbf{x})]$$

- Boris-pusher (adaptive version soon!)
- Leap-Frog
- RK-4.

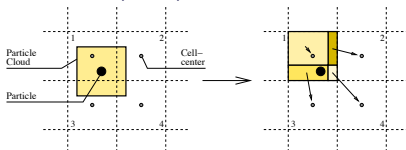
A fast Direct FFT-Based Poisson Solver

With G the 3D open space Green's function $G(\mathbf{x}, \tilde{\mathbf{x}}) = \frac{1}{\sqrt{(\mathbf{x} - \tilde{\mathbf{x}})^2}}$ the solution of the Poisson equation at point \mathbf{x} can be expressed by

$$\phi_{sc}(\mathbf{x}) = \frac{1}{4\pi\epsilon_0} \int G(\mathbf{x}, \tilde{\mathbf{x}}) \rho(\tilde{\mathbf{x}}) d\tilde{\mathbf{x}}$$

but this is very expensive $\mathcal{O}(N^2)$ with N number of particles.

- 1 Discretize $\rho \rightarrow \rho_h$ and $G \rightarrow G_h$ on a regular grid (PIC).



- 2 Go to Fourier space $\rho_h \rightarrow \hat{\rho}_h$, $G_h \rightarrow \hat{G}_h$ and convert the convolution into a multiplication $\mathcal{O}(\log N)$.
- 3 Use a parallel FFT, particle and field load balancing.

A fast Direct FFT-Based Poisson Solver cont.



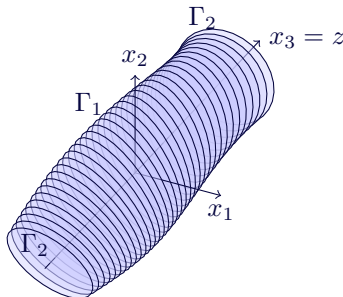
Iterative Poisson Solver SAAMG-PCG

$$\Delta\phi = -\frac{\rho}{\varepsilon_0}, \text{ in } \Omega \subset \mathbb{R}^3,$$

$$\phi = 0, \text{ on } \Gamma_1$$

$$\frac{\partial\phi}{\partial\mathbf{n}} + \frac{1}{d}\phi = 0, \text{ on } \Gamma_2$$

- $\Omega \subset \mathbb{R}^3$: simply connected computational domain
- ε_0 : the dielectric constant
- $\Gamma = \Gamma_1 \cup \Gamma_2$: boundary of Ω
- d : distance of bunch centroid to the boundary



Γ_1 is the surface of an

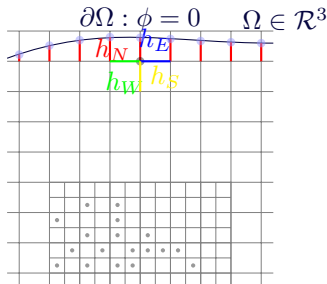
- 1 elliptic beam-pipe
- 2 arbitrary beam-pipe element

Iterative Poisson Solver SAAMG-PCG cont.

We apply a second order finite difference scheme which leads to a set of linear equations

$$\mathbf{Ax} = \mathbf{b},$$

where \mathbf{b} denotes the charge densities on the mesh.

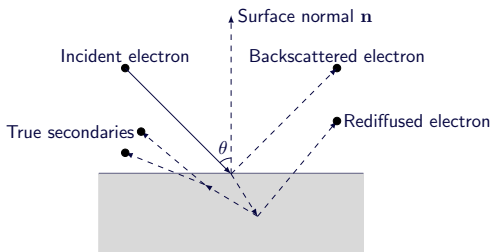


- solve anisotropic (\mathcal{L}) electrostatic Poisson PDE with an iterative solver (PCG)
- reuse information available from previous time steps
- achieving good parallel efficiency
- irregular domain with “exact” boundary conditions
- easy to specify boundary surface

[A. Adelmann, P. Arbenz and Y. Ineichen, J. Comp. Phys, 229 (12) (2010)]

Particle Matter Interaction & Multipacting

- Energy loss $-dE/dx$ (Bethe-Bloch)
- Coulomb scattering is treated as two independent events:
 - multiple Coulomb scattering
 - large angle Rutherford scattering
- Field Emission Model (Fowler-Nordheim)
- Secondary Emission Model ([Furman & Pivi] & [Vaughan])

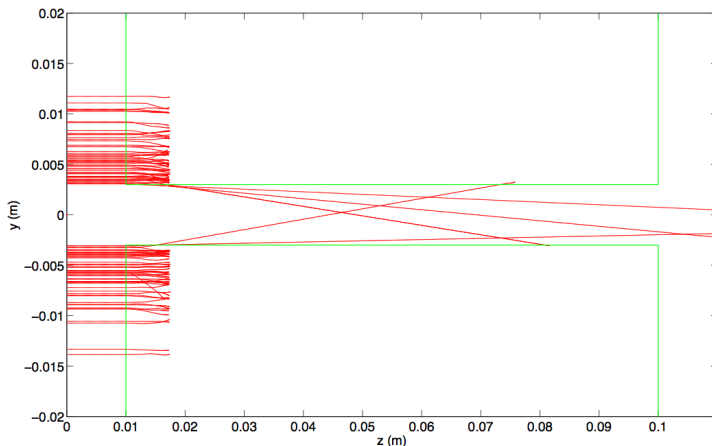


Phenomenological- don't involve secondary physics but fit the data.

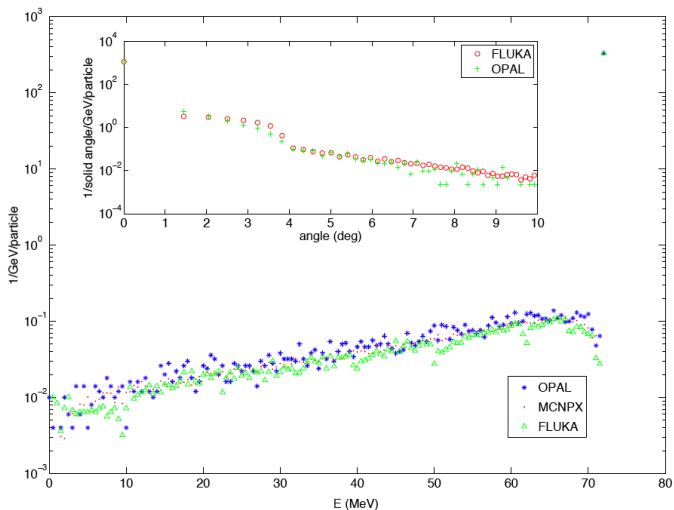
- Model 1 developed by M. Furmann and M. Pivi
- Model 2 (Vaughan) is easier to adapt to SEY curves

Particle Matter Interaction & Multipacting cont.

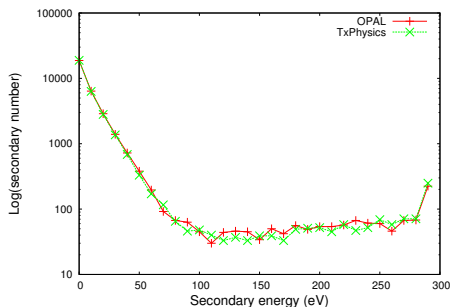
A 72 MeV cold Gaussian beam with $\sigma_x = \sigma_y = 5$ mm passing a copper slit with the half aperture of 3 mm from 0.01 m to 0.1 m.



Particle Matter Interaction & Multipacting cont.

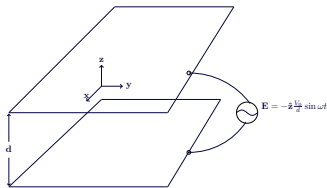


Particle Matter Interaction & Multipacting cont.

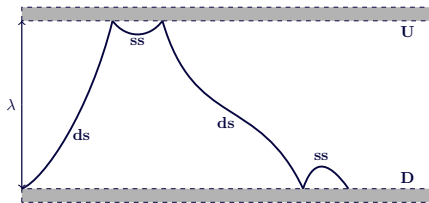


- Benchmark Against the TxPhysics Library
- Validate the implementation of Furman-Pivi's model
- Logarithm of total secondary emission number (backscattered + re-diffused + true secondaries) vs. energy of emitted particles

Particle Matter Interaction & Multipacting cont.

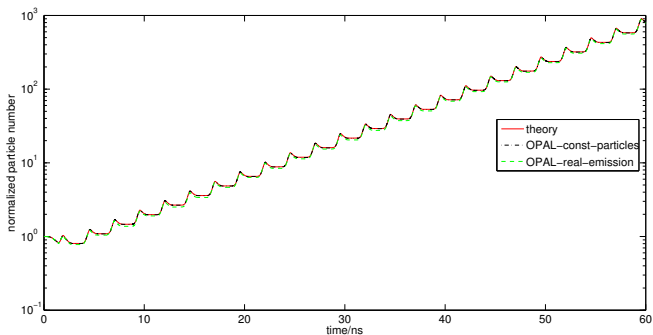


- Benchmarking the secondary emission model is not sufficient!



- There double-side(ds) and single-side(ss) impacting exist
- This is the most complete description of multipacting [S. Anza et al]!

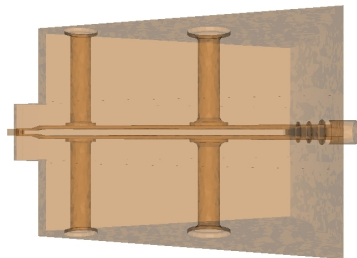
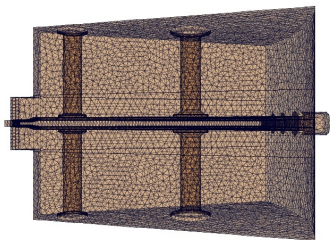
Particle Matter Interaction & Multipacting cont.



$f = 200\text{MHz}$, $V_0 = 120\text{V}$, $d = 5\text{mm}$, Furman-Pivi's model, copper and
re-normalize to a const number of simulation particles

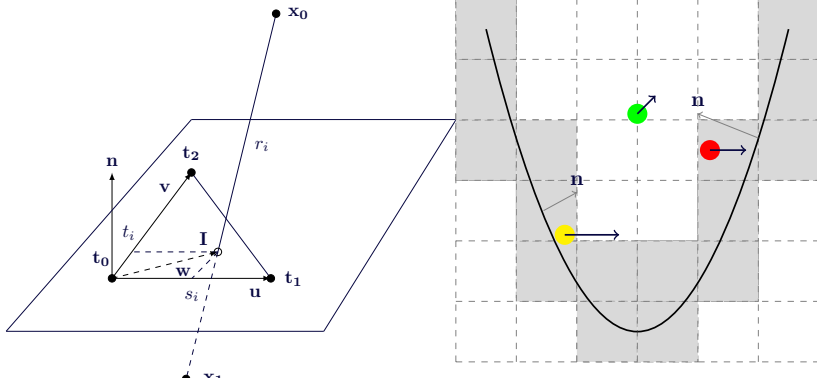
3D Geometry Handling Capability of OPAL

- Read CAD data and generate the surface mesh (Heronion or GMSH)
- Triangulated surface representation of geometry



3D Geometry Handling Capability of OPAL cont.

- Triangle-line segment intersection
- Boundary bounding box to speedup the collision tests
- We can handle arbitrary structure as long as it is closed

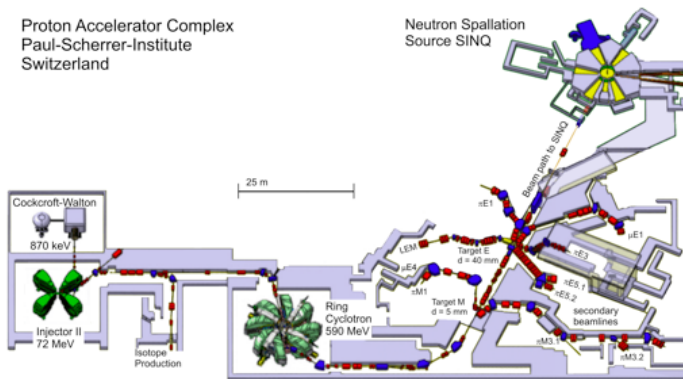


Outline

- 1 Motivation for OPAL & Problem Setup
- 2 OPAL in a Nutshell
- 3 Examples of OPAL Simulations
 - Precise Simulations of the PSI Ring Cyclotron
 - CTF3 gun, with thermal emittance
 - Dark Current Simulations of the CTF3 RF-Photo Gun
- 4 Conclusion and Outlook

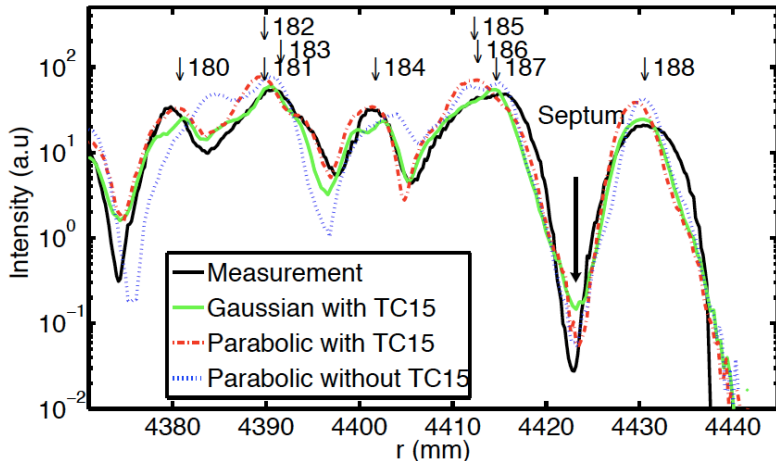
Precise Simulations of the PSI Ring Cyclotron

The PSI High Power Proton Facility



Precise Simulations of the PSI Ring Cyclotron cont.

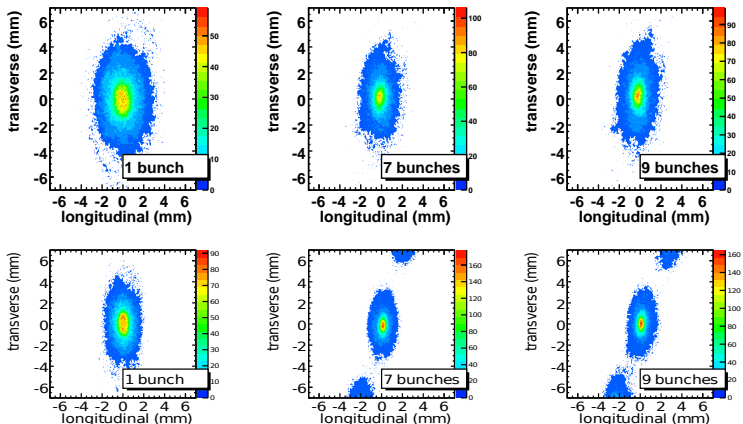
PSI 590 MeV Ring - last 8 turns @ 2.2 mA



[Y. Bi, A. Adelman, et.al Phys. Rev. STAB Volume 14 Issue 5 (2011)]

Precise Simulations of the PSI Ring Cyclotron cont.

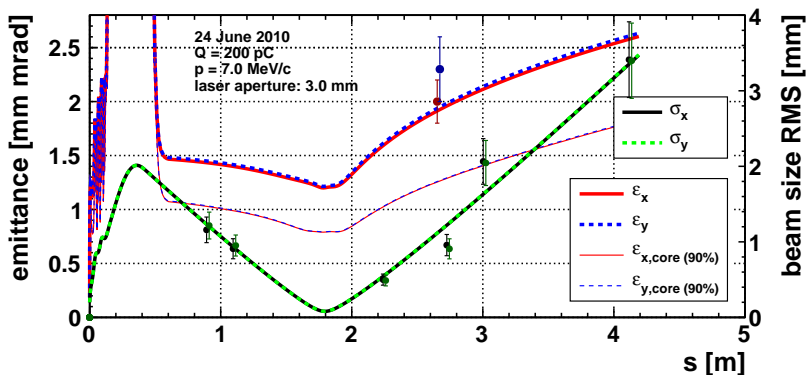
Single bunch and multiple bunches at turn 80 and 130



[J. Yang, Adelmann, et.al Phys. Rev. STAB Volume 13 Issue 6 (2010)]

CTF3 gun, with thermal emittance

OPAL-T simulation of the CTF3 gun, including thermal emittance (0.65 eV) and laser profile (0.7 ps rise time 9.8 ps flat-top).



[T. Schietinger et.al., LINAC2010]

Dark Current Simulations of the CTF3 RF-Photo Gun

(Dark Current)

Dark Current Simulations with Secondary Emission

(Dark Current)

Outline

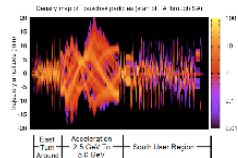
- 1 Motivation for OPAL & Problem Setup
- 2 OPAL in a Nutshell
- 3 Examples of OPAL Simulations
- 4 Conclusion and Outlook

Charges from the Organizers



Beam Loss

- Beam loss can be a huge operational problem for ERLs.
- Many potential sources:
 - 1) Touschek/IBS scattering
 - 2) Residual gas scattering
 - 3) Space charge and CSR effects
 - 4) Strayed light from a drive laser
 - 5) Bunch tail at photocathode
 - 6) RF fields and field emission of cavities
- Simulation codes are being implemented for some sources such as Touschek/IBS scattering.
- Further studies of beam halo formation and beam loss are needed.



Trajectories of Touschek-scattered electrons at Cornell ERL

Charges from the Organizers



Beam Loss

- Beam loss can be a huge operational problem for ERLs.
- Many potential sources:
 - 1) Touschek/IBS scattering
 - 2) Residual gas scattering
 - 3) Space charge and CSR effects
 - 4) Strayed light from a drive laser
 - 5) Bunch tail at photocathode
 - 6) RF fields and field emission of cavities
- Simulation codes are being implemented for some sources such as Touschek/IBS scattering.

Charges from the Organizers



Other Issues

- Error tolerances
- Orbit stability
- Simulation codes (elegant, BMAD, GPT, IMPACT-T, ...)
- Start-to-End(S2E) simulation
- Energy spread due to wakes
- Longitudinal space charge effects
- Light source performance
- Roles of test facilities and collaboration work

Charges from the Organizers



Other Issues

- Error tolerances
- Orbit stability
- Simulation codes (elegant, BMAD, GPT, IMPACT-T, ...)
- Start-to-End (S2E) simulation
- Energy spread due to wakes
- Longitudinal space charge effects
- Light source performance
- Roles of test facilities and collaboration work

Conclusions

- Some of the ongoing efforts towards precise beam dynamics simulations were sketched and results are presented
- Using the High Performance Computing (HPC) technology enable us to speedup computations while increasing the accuracy of the used models (statistics w.r.t losses)
- HPC is an enabler of new modeling capabilities: 3D space charge & secondary effects in large structures
- State-of-the-art numerical methods and adequate software technology are mandatory
- Active collaborations, today with CIAE, LANL, Cornell and LBL

Outlook & Plans for new Capabilities includes:

- 3D FEM Maxwell solver (Ph.D ETH/PSI to be completed in 1Q 2012)
- 3D CSR Model (Ph.D ETH/PSI to be completed in 1Q 2012)
- Multiobjective Optimization (Ph.D ETH/PSI/IBM started 2010)
- Adaptive Time Stepping (ETH-MS student project, available in version 2.x)
- P^3M solver for resolving scales smaller the h , available in version 2.x
- Adaptive Mesh Refinement (re-submit proposal)
- Multi Species

The OPAL framework **combines** essential factors

- physics modeling
- numerics
- high performance computing

which enables us to enter into new regimes of precise accelerator modeling and control.

References



A. Adelmann, P. Arbenz and Y. Ineichen, J. Comp. Phys, 229 (12): 4554-4566 (2010)



M. A. Furman and M. Pivi, Phys. Rev. ST Accel. Beams 5, 124404 (2002)



S. Anza, C. Vicente, J. Gil, V. E. Boria, B. Gimeno, and D. Raboso, Phys. Plasmas 17, 062110 2010



Y. Bi, A. Adelmann et.al, Phys. Rev. STAB Volume 14 Issue 5 054402 (2011)



J. Yang, A. Adelmann et.al, Phys. Rev. STAB Volume 13 Issue 6 064201 (2010)



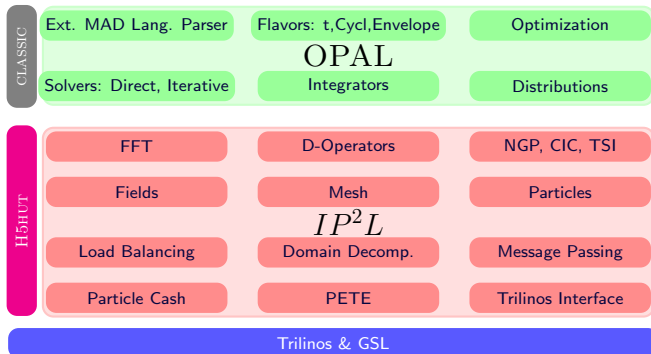
J. R. M. Vaughan, IEEE Transactions on Electron Devices 40, 830 (Apr 1993)



T. Schietinger et.al. TUP009, Proceedings of Linear Accelerator Conference LINAC2010, p 410-412, Tsukuba, Japan

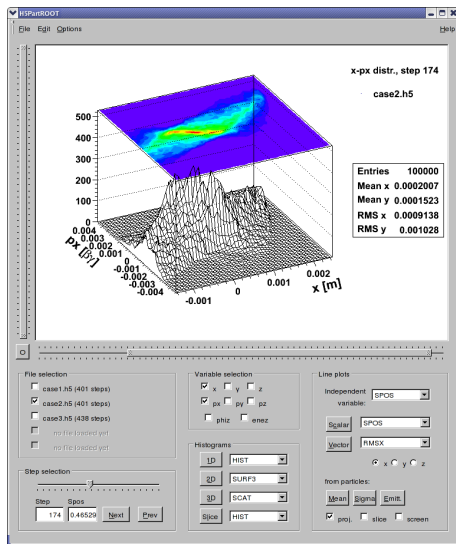
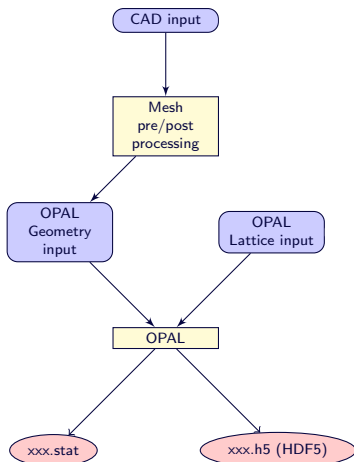
Backup Slides

Software Architecture



- **OPAL Object Oriented Parallel Accelerator Library**
- **IP^2L Independent Parallel Particle Layer**
- **Class Library for Accelerator Simulation System and Control**
- **H5hut for parallel particle and field I/O (HDF5)**
- **Trilinos <http://trilinos.sandia.gov/>**

Parallel I/O (H5hut) & Postprocessing (H5root)



Comparing Simulations with Reality - Schottky Scan

$$\phi_{eff} = \phi_W - \sqrt{\frac{eE(x,t)}{4\pi\epsilon_0}}$$

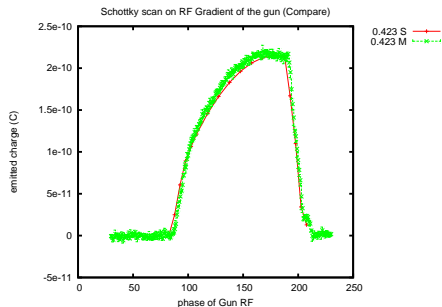
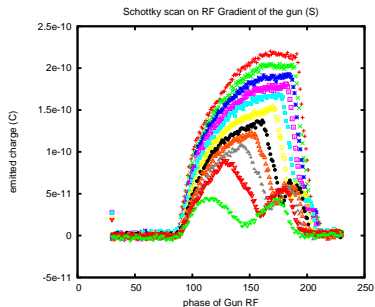
$$E(x,t) = E_{rf}(x,t) + E_{sc}(x,t)$$

$$I_{emit} = \mu L_I (h\nu - \phi_{eff})^2$$

- Initial conditions: laser energy, laser profile, W of material (Cu)
- Problem: find renormalization constant μ for a given nominal charge

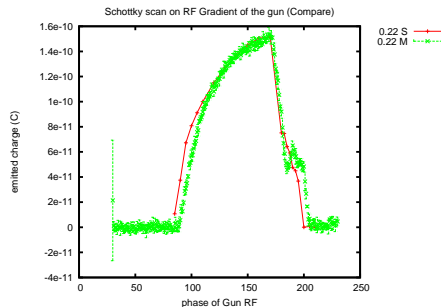
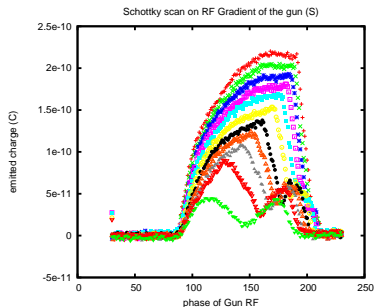
Comparing Simulations with Reality - Schottky Scan

- Solution: iterative scheme to find μ (non-linear problem)



Comparing Simulations with Reality - Schottky Scan

- Solution: iterative scheme to find μ (non-linear problem)



Comparing Simulations with Reality - Schottky Scan

- Solution: iterative scheme to find μ (non-linear problem)

